Online Appendix

From Selling Goods to Selling Services: Firm Responses to Trade Liberalization*

Holger Breinlich[†], Anson Soderbery[‡] and Greg C. Wright[§]

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1 An Illustrative Model

In the following partial equilibrium model firms produce multiple output types – goods and services – and must decide how to allocate their accumulated expertise, or knowledge, across the production of each. We take the level of expertise as exogenous in the model and explore its content in the empirics. The scarce nature of the expertise, and its confinement to the firm, induces a tradeoff in goods and services production and generates predictions regarding how firms adjust production in the face of changing market conditions, such as lower manufacturing import tariffs.[1]

Demand

We consider a multi-country partial-equilibrium setting. In each country, there is a continuum of industries in which a representative agent consumes industry-specific goods and services. The agents' preferences over total industry output are Cobb-Douglas everywhere such that the share of aggregate expenditure spent on industry j is κ_j, where $\int_0^1 \kappa_j dj = 1$. Furthermore, the share of industry j expenditure that is spent on services output from

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†Breinlich: University of Essex, CEP and CEPR, Wivenhoe Park, Colchester CO4 3SQ, U.K.

‡Soderbery: Department of Economics, Purdue University, West Lafayette, IN 47907-2056.

§Wright: University of California, Merced, 5200 N. Lake Rd., Merced, 95343

[1] An alternative framework is that of Bloom et al. (2012) in which firms reallocate production factors in "bad times" when the opportunity cost of doing so is relatively low. Different from that paper, here we focus on the long run while explicitly modeling the degree of rivalry in the use of inputs across different types of production.

that industry is ν_j. We therefore denote by $E_{jS} \equiv \kappa_j \nu_j E$ and $E_{jG} \equiv \kappa_j(1-\nu_j)E$ the expenditure on services and goods output, respectively, from industry j, where E is total expenditure in the economy.

We assume that preferences for goods and services are separable and within an industry are given by independent Constant Elasticity of Substitution (CES) utility functions. There is a large number of firms active in each industry and each firm provides a single differentiated good and services variety. Firms are monopolistically competitive and ignore the impact of their choices on aggregate quantities when setting prices. The CES demand for the variety of good and the variety of service produced by firm i in industry j from country n can be written separately as:

$$q_{ijnG} = p_{ijnG}^{-\sigma} P_{jnG}^{\sigma} E_{jnG} \tag{1}$$

$$q_{ijnS} = p_{ijnS}^{-\gamma} P_{jnS}^{\gamma} E_{jnS} \tag{2}$$

where $\sigma > 1$ denotes the elasticity of substitution across varieties of goods and $\gamma > 1$ denotes the elasticity of substitution across services varieties. The industry price indices in country n can be written as $P_{jnG} = \left[\int_{\omega_G \epsilon \Omega_{nG}} \left[p_G\left(\omega_G\right)\right]^{1-\sigma} d\omega_G + \int_{\omega_G^* \epsilon \Omega_{nG}^*} \left[p_G^*\left(\omega_G^*\right)\right]^{1-\sigma} d\omega_G^*\right]^{\frac{1}{1-\sigma}}$ and $P_{jnS} = \left[\int_{\omega_S \epsilon \Omega_{nS}} \left[p_S\left(\omega_S\right)\right]^{1-\gamma} d\omega_S + \int_{\omega_S^* \epsilon \Omega_{nS}^*} \left[p_S^*\left(\omega_S^*\right)\right]^{1-\gamma} d\omega_S^*\right]^{\frac{1}{1-\gamma}}$. Ω_G and Ω_S denote, respectively, the set of services and goods varieties available from home producers in country n, while Ω_{nG}^* and Ω_{nS}^* denote the sets of foreign varieties. In the following, we take conditions on all markets (i.e., P_{jnG}, P_{jnS}, E_{jnG}, and E_{jnS}) as exogenous and explore firm production choices in response to changes in these conditions. In the empirics, we will control for market conditions through appropriate proxy variables and fixed-effect combinations. For ease of notation, we drop industry subscripts j from now on.

Production

We assume that firm i's production functions for goods and services take the following form:

$$Y_{iG} = \Lambda_{iG} T_{iG} L_{iG} \tag{3}$$

$$Y_{iS} = \Lambda_{iS} T_{iS} L_{iS} \tag{4}$$

where $\Lambda_{il} T_{il}$ is a firm-specific productivity term that is comprised of a fixed, exogenously determined component, Λ_{il}, and an endogenously chosen component, T_{il}, where $l \in (G, S)$. The firm's labor input is L_{il}.

One of the key features of the model is our interpretation of T_{il} which, motivated by the stylized facts and discussion above, we assume to reflect the extent to which the firm's accumulated industry-specific expertise is directed toward one output type or the other. Over time firms both passively and actively accumulate knowledge (expertise) about the products they are selling and the markets they are selling to. Since this knowledge is, to some extent, embodied in workers and managers whose time is limited, it must be apportioned efficiently within the firm. This is a notion that the business literature has consistently found evidence for.[2]

Formally, we assume that the stock of expertise is both fixed within the firm and rivalrous in its use across output types in the sense that increased use of expertise in producing one output type reduces the expertise available in producing the other output type. We model the degree of rivalry in expertise across goods and services production in the following reduced-form way:

$$T_i = \left((T_{iG})^t + (T_{iS})^t\right)^{1/t} \tag{5}$$

where we assume that $t \in (0, \infty)$ governs the extent of rivalry in the use of expertise across output types. Note that a higher t implies less rivalry: for $t \to \infty$, firms can use the full amount of T_i in both goods and services production.

We assume that firms exporting to foreign destinations face standard variable iceberg-type trade costs in goods and services, denoted by τ_j^G and τ_j^S, respectively. Given this setup, the profit maximization problem of firm i selling to N markets is:

$$\begin{aligned} \max_{\mathbf{p}_{iG}, \mathbf{p}_{iS}, T_{iG}, T_{iS}} \pi_i &= \sum\nolimits_{n=1}^{N} \left[p_{inG} Y_{inG} + p_{inS} Y_{inS} - w_i \left(L_{inG} + L_{inS}\right)\right] \\ s.t. \;\; T_i &= \left((T_{iG})^t + (T_{iS})^t\right)^{1/t} \end{aligned}$$

where $\mathbf{p}_{iG}$ and $\mathbf{p}_{iS}$ are price vectors containing the prices charged in each destination market (including the firm's home market), and $L_{inG} = \tau_n^G Y_{inG} / \Lambda_{iG} T_{iG}$ and $L_{inS} = \tau_n^S Y_{inS} / \Lambda_{iS} T_{iS}$ are the amounts of labor required to deliver Y_{inG} and Y_{inS} units of goods and services to country n, respectively.

Substituting in (1), (2), and (5), firm profit maximization can be written as:

$$\begin{aligned} \max_{\mathbf{p}_{iG}, \mathbf{p}_{iS}, T_{iG}} \pi_i &= \sum\nolimits_{n=1}^{N} \left(p_{inG}^{1-\sigma} P_{nG}^{\sigma-1} E_{nG} + p_{inS}^{1-\gamma} P_{nS}^{\gamma-1} E_{nS}\right) \\ &\quad - w_i \left(\frac{\sum\nolimits_{n=1}^{N} \tau_n^G p_{inG}^{-\sigma} P_{nG}^{\sigma-1} E_{nG}}{\Lambda_{iG} T_{iG}} + \frac{\sum\nolimits_{n=1}^{N} \tau_n^S p_{inS}^{-\gamma} P_{nS}^{\gamma-1} E_{nS}}{\Lambda_{iS} \left((T_i)^t - (T_{iG})^t\right)^{1/t}} \right) \end{aligned}$$

The firm's optimal prices for each industry in each destination is then given by:

$$p_{inG} = \frac{\sigma}{\sigma - 1} \frac{\tau_n^G w_i}{\Lambda_{iG} T_{iG}} \tag{6}$$

[2] For instance, Visnjic and Van Looy (2009) summarize the accepted view as follows: "When a firm starts to provide services...there is a natural knowledge relatedness to be exploited on the level of technological capabilities and knowhow that can be transferred from product engineering departments to the service activities of the firm...Technological expertise represents assets that can be leveraged when engaging in service activities."

$$p_{inS} = \frac{\gamma}{\gamma - 1} \frac{\tau_n^S w_i}{\Lambda_{iS} \left((T_i)^t - (T_{iG})^t \right)^{1/t}} \tag{7}$$

The firm faces a clear tradeoff. By directing more expertise toward goods production (i.e., increasing T_{iG}) the firm is able to lower its output price for goods and improve its competitiveness in the goods market at the expense of services production. Ultimately, the firm's optimal allocation will depend on the relative marginal profitability of goods versus services across all markets. Solving for this optimal allocation decision, and substituting in the optimal prices (6) and (7), the equilibrium expertise directed toward goods production can be written (services is symmetric):

$$T_{iG}^{\frac{\sigma-\gamma}{t}} \left(\left(\frac{T_i}{T_{iG}} \right)^t - 1 \right)^{\frac{1+t-\gamma}{t}} = \frac{\frac{\sigma}{\sigma-1}\mu_{iG}}{\frac{\gamma}{\gamma-1}\mu_{iS}} RMC_i \tag{8}$$

where $\mu_{iG} \equiv \left(\frac{\sigma}{\sigma-1} \frac{w_i}{\Lambda_{iG}} \right)^{\sigma-1}$, $\mu_{iS} \equiv \left(\frac{\gamma}{\gamma-1} \frac{w_i}{\Lambda_{iS}} \right)^{\gamma-1}$, and $RMC_i \equiv \frac{\sum_{n=1}^N \left(\tau_n^S\right)^{1-\gamma} P_{nS}^{\gamma-1} E_{nS}}{\sum_{n=1}^N (\tau_n^G)^{1-\sigma} P_{nG}^{\sigma-1} E_{nG}}$ summarizes the "relative market conditions" faced by firm i, i.e., the relative residual demand for its goods and services in all locations. The allocation decision is therefore a function of relative market conditions (RMC), the firm's aggregate stock of expertise (T_i), the elasticity parameters associated with goods and services markets (σ, γ), and the degree of rivalry in the use of expertise within the firm (t).

We can also derive the goods and services revenues that the firm receives in each market in this partial equilibrium, as:

$$R_{inG} = \left(\frac{\sigma}{\sigma - 1} \right)^{1-\sigma} \left(\frac{\tau_n^G w_i}{\Lambda_{iG} T_{iG}} \right)^{1-\sigma} (P_{nG})^\sigma E_{nG} \tag{9}$$

$$R_{inS} = \left(\frac{\gamma}{\gamma - 1} \right)^{1-\gamma} \left(\frac{\tau_n^S w_i}{\Lambda_{iS} T_{iS}} \right)^{1-\gamma} (P_{nS})^\gamma E_{nS} \tag{10}$$

where the optimal allocation of T_{iS} and T_{iG} is given by (8) and its services counterpart.

Comparative Statics

The focus of the empirics will be on the extent to which firms alter their production strategy in the face of trade liberalization (i.e., in the face of lower tariffs on goods imports). In the model, a decline in domestic import tariffs leads to a fall in the goods price index at home (P_{HG}), and thus a corresponding decline in the domestic residual demand for goods. Reiterating the results from above, condition (8) indicates that the firm's response will depend on its aggregate stock of expertise (T_i), the extent to which expertise is "freely available" within the firm (governed by t), and the demand elasticities

σ and γ.

The result is an ambiguous response on the part of firms to lower import tariffs. To see this, we can differentiate the equilibrium condition (8) with respect to the domestic goods price index, P_{HG}.[3] This leads to sufficient conditions under which the firm will respond by reallocating expertise toward services provision. The flip side are conditions under which the firm will respond by increasing the expertise allocated to goods production.

Proposition 1 – ***Fight***: *Firms will "fight" following a decline in domestic goods import tariffs, $\frac{\partial T_{iG}}{\partial P_{HG}} < 0$, when:*

$$(\gamma - \sigma)\left(\frac{T_{iG}}{T_i}\right)^t > \gamma(1-t) - \sigma + t(1+t).$$

That is, when the price index in the domestic goods market falls, firms reallocate T from provision of services to production of goods. The above will hold for all firms when $1+t < \gamma < \sigma$.

Proof is relegated to the appendix ■

Recall that expertise serves to enhance productivity, such that by choosing the allocation of expertise the firm is in effect choosing its relative productivity across output types. When the goods elasticity (σ) is large relative to the services elasticity (γ), the marginal increase in profits associated with a marginal reallocation of expertise toward goods production *exceeds* the increase from allocating additional expertise toward services provision. Thus, the firm will shift T from services to goods in order to lower the goods price and remain viable in that market.

In addition, from (5) we can see that for a given stock of expertise, T_i, both T_{iG} and T_{iS} decrease as t falls. In effect, this is because for smaller t (more rivalrous expertise) there is less "shared" expertise across output types. As a result, a further implication of Proposition 1 is that expertise must be sufficiently rival in order for reallocation to be efficient – i.e., t must be sufficiently small for firms to remove resources from services in order to maintain standing in the goods market. In this case, firms reinforce their position in the goods market in order to mitigate a potentially severe loss in market share, but must remove resources from services to do so since knowledge is relatively non-transferrable.

We believe, and our empirics will support, a more intuitive scenario where firms flee from competition.

[3] In our partial equilibrium framework, P_{HG} and its components are taken as exogenous so that we can take derivatives with respect to P_{HG}. Differentiating with respect to P_{HG} is equivalent to differentiating with respect to domestic import tariffs in this setting (see below).

Proposition 2 – ***Flee***: *Firms will "flee" following a decline in goods import tariffs,* $\frac{\partial T_{iG}}{\partial P_{HG}} > 0$*, when:*

$$(\gamma - \sigma)\left(\frac{T_{iS}}{T_i}\right)^t > t(\gamma - 1 - t).$$

That is, when the price index in the domestic goods market falls, firms reallocate T *from production of goods to provision of services. The above will hold for all firms when,* $\sigma < \gamma < 1 + t$.

Proof is relegated to the appendix ■

Now, a large t, reflecting less rivalrous expertise within the firm, makes it more likely that firms flee from competition. In this case, firms have more resources simultaneously available to both output types and can therefore shift production toward the relatively less competitive services sector with only a relatively small loss in market share in the goods market.

In short, firms face a flee or fight decision which turns on the relative price elasticities of the two markets and the degree of rivalry of firm-specific expertise. Since the empirics will exploit reductions in import tariffs (τ_H^G) as a source of trade liberalization, it is worth being explicit about the role of tariffs in the model. Propositions 1 and 2 imply the following:

Corollary 1.1 *When Proposition 1 holds,* $\frac{\partial T_{iG}}{\partial \tau_H^G} < 0$*. When Proposition 2 holds* $\frac{\partial T_{iG}}{\partial \tau_H^G} > 0$*.*

These conditions follow directly from the positive relationship between the price indices and import tariffs. The empirics will provide a framework test these predictions.

Finally, for a given value of the rivalry parameter, t, the size of the aggregate stock of expertise matters for firm adjustment. Formally:

Proposition 3 *Given equilibrium condition (8) the sign of* $\frac{\partial^2 T_{iG}}{\partial P_{HG} \partial T_i}$ *will be the same as the sign of* $\frac{\partial T_{iG}}{\partial P_{HG}}$*, as long as the elasticity of expertise in services with respect to total expertise is greater than unity,* $\frac{\partial T_S}{\partial T}\frac{T}{T_S} > 1$*.*

Proof is relegated to the appendix ■

Consider the case in which firms flee (i.e., $\frac{\partial T_{iG}}{\partial P_{HG}} > 0$). Proposition 3 states that the extent to which a firm flees is heterogeneous across firms, and is a function of the firm's stock of expertise – i.e., firms with a relatively large stock of expertise will shift relatively more into services in response to trade liberalization.

To summarize, we motivated the structure of our model in large part by pointing to the reduction in UK manufacturing import tariffs and the simultaneous growth of services sales by UK manufacturing firms relative to their goods sales. In addition, we found a strong negative correlation between goods and services revenues within UK firms, suggesting a tradeoff in production over the period. The structure of our model led straightforwardly to Propositions 1 and 2, and Corollary 1, which indicate that it is unclear whether firms will flee or fight when faced with trade liberalization, with the response depending on demand conditions in the two sectors and the degree of rivalry in the use of firm-level expertise. Finally, Proposition 3 indicates that having a larger stock of expertise magnifies the extent of reallocation when trade liberalizes, whatever its direction. We next describe the data we use to determine and evaluate the empirically relevant cases.

A Proof of Propositions

Proof of Propositions 1 and 2

We begin by totally differentiating (8) with respect to the goods price index, P_G. This yields:

$$\frac{\partial T_G}{\partial P_G} = \frac{\frac{\partial RMC_i}{\partial P_G}}{RMC_i} \frac{T_G}{\Omega} \tag{11}$$

where $\Omega \equiv \frac{\sigma-\gamma}{t} + (\gamma - 1 - t) \left(\frac{T}{T_S}\right)^t$.

The sign is therefore determined by the ambiguous term, Ω, that takes into account the relative use of T in each output type and its relation to the elasticities of substitution in each sector. The sufficient conditions in Proposition 1 can be derived simply by noting that Ω will be positive when both $\sigma > \gamma$ and $\gamma > 1 + t$. Similarly, it will be negative under the reverse conditions. ■

Proof of Proposition 3

Differentiating (11) with respect to T yields:

$$\frac{\frac{\partial RMC_i}{\partial P_{HG}}}{RMC_i} \left(\frac{\frac{\partial T_G}{\partial T}}{\Omega} - \frac{t(\gamma - 1 - t)\frac{T_G}{T_S}\left(\frac{T}{T_S}\right)^{t-1}\left(1 - \frac{T}{T_S}\frac{\partial T_S}{\partial T}\right)}{\Omega^2} \right)$$

where Ω is defined as above. The sign of this derivative depends once again on the relative values of the substitution parameters (γ, σ, and t). However, under the sufficient conditions from Propositions 1 and 2, we can pin down the direction of the second derivative. We have two cases:

1. When $1 + t < \gamma < \sigma$, Proposition 1 holds since $\Omega > 0$. Since $\frac{\partial T_G}{\partial T} > 0$, $\frac{\partial^2 T_G}{\partial P_{HG} \partial T}$ will be the same sign as $\frac{\partial T_G}{\partial P_{HG}}$ when $1 - \frac{T}{T_S}\frac{\partial T_S}{\partial T} < 0$.

2. When $\sigma < \gamma < 1+t$, Proposition 2 holds since $\Omega < 0$. Again, since $\frac{\partial T_G}{\partial T} > 0$, $\frac{\partial^2 T_G}{\partial P_{HG} \partial T}$ will be the same sign as $\frac{\partial T_G}{\partial P_{HG}}$ when $1 - \frac{T}{T_S}\frac{\partial T_S}{\partial T} < 0$.

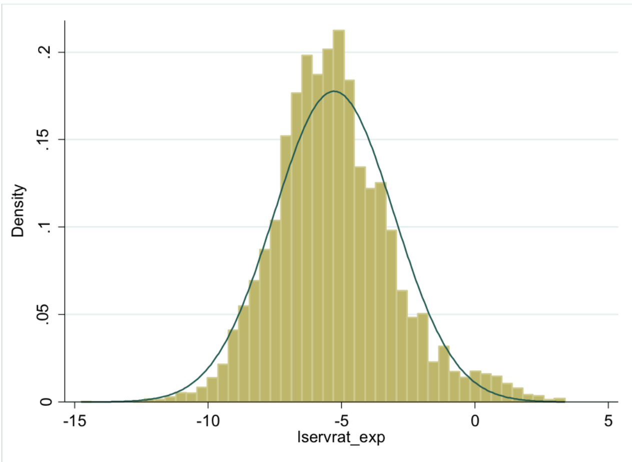
■

B Additional Data Plots and Regressions

Here we present plots of the distributions of firm sales in the data. Additionally, we present our Baseline regression with a normalized sample size in order to address potential sampling selection issues in the firm level data along with other cuts of the data.

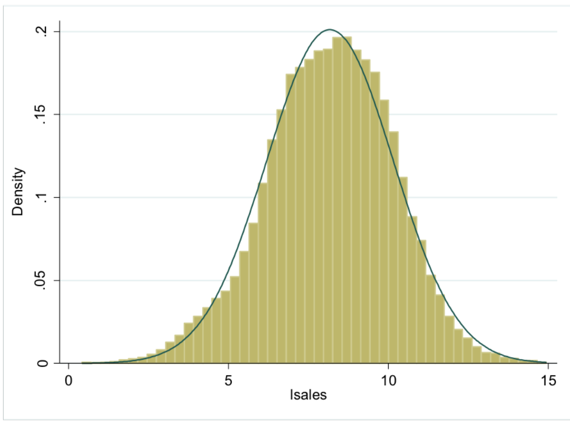
Figure A1 plots the distribution of our variable of interest in the paper – the log(Ratio of Services/Goods Revenues) Further decomposing this distribution, Figure A2 presents

Figure A1: Distribution of log(Ratio of Services/Goods Revenues)



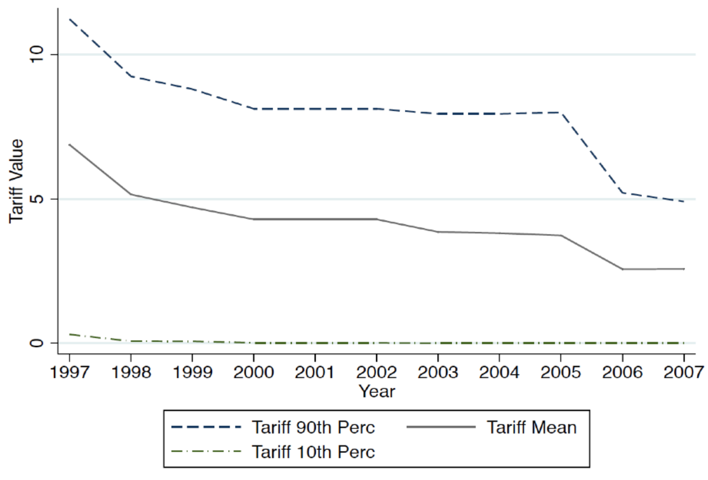
the distribution of the log of total firm sales across firm-year observations in the data

Figure A2: Distribution of log(Firm Revenues)



Variation in applied tariffs are leveraged in our empirics. Figure A3 plots the distribution of tariffs over our sample.

Figure A3: UK Manufacturing Import Tariffs (1997-2007)



Notes: Figure shows average UK MFN manufacturing import tariffs (ad valorem, in %) over the period 1997-2007. Data Source: World Trade Organization Tariff Database.

Next we present a number of tables documenting patterns in the data and checking the robustness of our main results.

Table A1: Baseline Robustness – Consistent Sample

	Ratio of Service/Goods Revenue						
Variables	(1)	(2)	(3)	(4)	(5)	(6)	(7)
Goods import tariffs	−0.900***	−0.832***	−0.783***	−0.198***	−0.207***	−0.209***	−0.217***
	(0.288)	(0.295)	(0.298)	(0.067)	(0.065)	(0.064)	(0.066)
Goods export tariffs		−0.117	−0.0965	−0.0337	−0.0416	−0.0522	−0.0507
		(0.130)	(0.115)	(0.148)	(0.045)	(0.047)	(0.047)
Services export barriers		−2.553	−2.365	0.0131	0.0316	0.0404	0.119
		(2.004)	(2.023)	(0.267)	(0.088)	(0.086)	(0.092)
Services import barriers	1.405**	1.168*	1.029*	5.318	−0.430	−0.210	−0.835
	(0.587)	(0.604)	(0.583)	(4.694)	(1.220)	(1.047)	(1.248)
Log(labour productivity)			0.183	0.0612		−0.275	−0.272
			(0.341)	(0.316)		(0.228)	(0.227)
Log(wage)			0.209*	−0.0696		0.957***	0.954***
			(0.117)	(0.159)		(0.359)	(0.359)
Year FEs	Yes	Yes	Yes	Yes	Yes	Yes	Yes
Industry FEs	No	No	No	Yes	No	No	No
Firm FEs	No	No	No	No	Yes	Yes	Yes
Time Trends	No	No	No	No	No	No	Yes
Observations	54905	54905	54905	54905	54905	54905	54905
Number of firms	14284	14284	14284	14284	14284	14284	14284

Notes: PPML regressions of the ratio of a firm's revenues from services and revenues from goods on industry tariffs, the log of firm productivity, and the log average wage. FEs indicate fixed effects in the model. Time trends are 2-digit UK SIC industry time trends. Data Source: ONS Annual Respondents Database (ARD) and International Trade in Services Inquiry (ITIS). Standard errors are clustered at the industry level and are in parentheses, where * p<0.10, ** p<0.05, *** p<0.01.

Table A1 normalizes our sample to firms that are present in the survey for at least two years. This effectively normalizes the sample across our fixed effect regressions as firms present for a single year do not contribute to our preferred specifications with firm fixed effects.

Table A2 documents the number of firms in our dataset by tenure, where we see that indeed the most common tenure is one year.

Table A2: Tenure of Firms in the Sample

Number of Years in Sample	Number of Firms
1	24350
2	10517
3	4307
4	2542
5	1697
6	1247
7	979
8	718
9	539
10	506
11	676

Notes: The table presents the number of firms by the number of periods they appear in the sample.

Table A3 further documents for each two-digit industry the average number of firms and average industry sales over 1997-2007.

As noted in Section 2 of the paper, the ARD dataset consists of the universe of large firms and a sample of small and medium sized firms (those with fewer than 100 or 250 employees depending on the year). As a result, some firms are in our dataset for only a brief period (often only a single year) while others are in the dataset in all years (large firms who entered prior to our period and did not exit during it). Here we simply repeat our baseline specification (equation (1), estimates reported in Table 4) but estimate the regressions across a sample of firms with at least six years tenure in our dataset, and then across a sample of firms with at most five years tenure. Table A4 presents these results, but note that that the estimates are virtually unchanged compared to the baseline results on the full sample. We conclude that there is nothing in particular about our sample of firms that is driving the results.

Table A5 presents a simple regression of goods import tariffs on imports and import penetration ratios confirms that goods tariff reductions did indeed lead to significant increases in imports and import penetration ratios. Specifically, a one percentage point reduction in MFN tariffs led to a 9.4% increase in total UK goods imports and a 4.34 percentage point increase in the UK?s import penetration ratio.

Table A3: Firms and Revenues across Industries

Industry (2-digit code)	Number of Firms (average 1997-2007)	Industry Revenue (average 1997-2007, in millions £)
15	1087.1	45674
16	N/A†	N/A†
17	488.5	3497
18	237.1	1466
19	79.1	564
20	314.1	2084
21	367.8	7081
22	933	15968
23	37.9	920
24	624.3	31152
25	662.9	9388
26	435.7	7273
27	385.5	10518
28	1265.9	7693
29	1070.1	15568
30	100.0	4277
31	445.5	6140
32	239.2	8045
33	403.7	5920
34	346.1	27013
35	251.1	9679
36	618.8	4999

Notes: Table presents results for regressions of the annual percentage-point change in the share of services in total revenue (denoted Δ Ratio of Services/Goods Revenue) on the firm-level variables listed in the first column. Firm-level variables are measured at the beginning of the period over which the change in the dependent variable is calculated. See Section 2 for details on the underlying data. Standard errors clustered at the industry level and are in parentheses, where * $p<0.10$, ** $p<0.05$, *** $p<0.01$.

Table A4: Baseline Robustness – Limit Sample to Firms Present for at Least 6 or at Most 5 Years

	Ratio of Service/Goods Revenue			
	At least 6 years		At most 5 years	
Variables	(1)	(2)	(3)	(4)
Goods import tariffs	−0.199**	−0.171**	−0.215***	−0.222***
	(0.088)	(0.087)	(0.073)	(0.078)
Goods export tariffs	−0.082**	−0.078**	0.044	0.044
	(0.039)	(0.039)	(0.055)	(0.056)
Services export barriers	0.058	0.150	0.044	0.216
	(0.083)	(0.094)	(0.213)	(0.342)
Services import barriers	−0.458	−1.617	0.322	0.210
	(1.901)	(2.734)	(0.775)	(0.878)
Log(Labor productivity)	−0.694**	−0.712**	0.152	0.149
	(0.334)	(0.341)	(0.200)	(0.201)
Log(Average wage)	1.034**	0.929*	0.616*	0.611*
	(0.489)	(0.485)	(0.327)	(0.327)
Year FEs	Yes	Yes	Yes	Yes
Industry FEs	No	No	No	No
Firm FEs	Yes	Yes	Yes	Yes
Time Trends	No	Yes	No	Yes
Observations	24625	24625	30280	30280
Number of Firms	3267	3267	11017	11017

Notes: PPML regressions of the ratio of a firm's revenues from services and revenues from goods on industry tariffs, the log of firm productivity, and the log average wage on limited samples of firms. At least 6 denotes firms present in the sample for at least six years. At most 5 denotes firms present in the sample for at most five years. FEs indicate fixed effects in the model. Time trends are 2-digit UK SIC industry time trends. Data Source: ONS Annual Respondents Database (ARD) and International Trade in Services Inquiry (ITIS). Standard errors are clustered at the industry level and are in parentheses, where * p<0.10, ** p<0.05, *** p<0.01.

Table A5: Correlation between Tariffs and UK Imports

	Log(Imports)	Import Penetration
	(1)	(2)
Import Tariff	-0.094***	-4.342***
	(0.013)	(0.807)
R^2	0.8139	0.5830
Observations	18853	18853

Notes: Year and HS 4 digit fixed effects included. We regress tariffs on various measures of UK imports from 1997-2007. Imports are the total value of imports and import penetration is the total value of imports relative to domestic production. Tariffs are in levels so that each regression coefficient measures the effect of a 1 percentage point increase in the tariff. All variables are at the HS4 product level. Import value is in Millions of US $. Standard errors clustered at the product (HS4) level are in parentheses where, * p<0.10, ** p<0.05, *** p<0.01.

References

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