## ECE 695 Numerical Simulations Lecture 18: Using Quantum Espresso for Electronic Band Structures

Prof. Peter Bermel February 20, 2017

# Outline

- Quantum Espresso Job File Structure
- Sample Structure: Solid Mg
- Performing 'scf' Calculations
- Converging 'scf' Energies
- Performing 'relax' Calculations

### Job File Structure

Input variables that control the amount of I/O on the hard drive and on the screen

Input variables that specify the system under study.

Input variables that control the algorithms used to reach a self-consistent solution of the Kohn-Sham equations.

Type and coordinates of each atom in the unit cell

Coordinates and weights of the K-points used for BZ integration

2/20/2017

4CONTROL	
18	
ASYSTEM	
1	Name, mass, and pseudopotential
GELECTRONS	used for each atomic species present
<b>GRUBCIKONS</b>	in the system
/	
ATOMIC SPECI	RS
	PseudoPot X
	PseudoPot_Y
Z Mass_Z	PseudoPot_Z
in all cases	
K_POINTS { t if (gamma) nothing t	piba   automatic   crystal   gamma } o read
if (automati	
COMPANY STREET, STREET	nk3, k1, k2, k3
if (not auto	matic)
nks xk x, xk	v, xk z, wk
XK X, XK	V, AR L, WK

# Typical input file – diamond Si

```
&control
         calculation = 'scf'
         restart_mode='from_scratch',
         pseudo_dir = '~/pseudo',
         outdir='tmp', /
      &system
          ibrav = 2,
         celldm(1) = 11.0,
         nat = 2,
         ntyp = 1,
         ecutwfc = 20, /
      &electrons /
     ATOMIC_SPECIES
     Si 1.0 Si.pbe-rrkj.UPF
     ATOMIC_POSITIONS {alat}
     Si 0 0 0
     Si 0.25 0.25 0.25
     K_POINTS {automatic}
2/20/20176 6 6 0 0 0
                              ECE 695, Prof. Bermel
```

## The namelist & control

#### calculation

- o scf: single point calculation without geometric optimization
- nscf : non-self-consistent calculation
- o relax : geometric optimization
- o md : molecular dynamics
- vc-relax : geometric optimization with variable unit cell coordinates
- restart\_mode
  - from scratch : Start from an initial guess
  - o restart : Start from earlier data
- outdir: Directory where intermediates are dumped.
- pseudo\_dir: Directory where the pseudopotentials live.

- nat : number of atoms
- ntyp : number of types of atoms
- nbnd : number of states to be calculated (unoccupied states as well)
- ecutwfc : kinetic energy cutoff (for planewaves)
- ecutrho : density cutoff (for the augmentation charge in USPP  $\approx$  10× ecutwfc)

#### Lattice structure

- ibrav : Bravais lattice index easy way to set up a crystal
- celldm(1)-celldm(6) : Various cell dimensions in B not all six are used for most ibrav

0 : user-specified	celldm(1) = given length
1 : simple cubic	celldm(1) = a
2 : face-centered cubic	celldm(1) = a
3 : body-centered cubic	celldm(1) = a
4 : hexagonal	celldm(1) = a
	celldm(3)=c/a
÷	
Up to fourteen	Some celldm(i) length, some angle

### Occupations

 occupations : Occupation of Kohn-Sham states – important for metals

'smearing': smear occupations by a some function (below)
'tetrahedra':

'fixed': default (for insulators)

'from\_input' : read occupations from a file

- smearing : types of smearing
  - 'gaussian'

'methfessel-paxton'

'marzari-vanderbilt'

'fermi-dirac'

• degauss : Smearing width

Small degauss  $\Rightarrow$  better accuracy

Large degauss  $\Rightarrow$  smaller number of k-points

### Magnetism

- nspin : spin type
  - 1: non-polarized
  - 2 : spin-polarized (single-axis magnetization)
- starting\_magnetization (i) : between -1 and 1. To break symmetry for the initial configuration. The index i runs over atom types.
- tot\_magnetization : Fix  $(n_{maj} n_{min})$
- noncolin : (.true./.false.) Turn on noncollinear magnetism

### The namelist & electrons

### Charge mixing

• mixing\_mode : improves convergence

'plain': Broyden mixing
'TF': simple Thomas-Fermi screening (homogeneous systems)
'local-TF': local-density-dependent TF screening (surfaces
etc.)

• mixing\_beta : 
$$n_{i+1} = (1 - \beta)n_{i+1}^{KS} + \beta n_i$$

• mixing\_nstep : number of iterations used in mixing scheme

### Solution of KS equations

 diagonalization : Minimization or iterative diagonalization david : Davidson iterative diagonalization cg : Minimization using the conjugate-gradients algorithm
 Various diagonalization-related keywords :

diago\_david\_ndim, diago\_thr\_init, diago\_cg\_maxiter

### The namelist & ions

#### lon dynamics — mostly for md

• ion\_dynamics : Different possibilities are allowed for different calculation keywords

bfgs : for relax
damp : for relax and vc-relax
verlet : for md

 ion\_temperature : Method of fixing the temperature during md runs

'rescaling': rescale the velocity every given number of steps

'langevin': use Langevin thermostat

```
'not_controlled': self-evident
```

• NEB keywords : opt\_scheme, CI\_scheme, k\_min, k\_max

## Cards

#### Related to atoms

• ATOMIC\_SPECIES

[	type	mass	<pre>pseudopotential ]</pre>
	В	10.811	B.pbe-n-van.UPF
	Ν	14.007	N.pbe-van_bm.UPF
	Mn	54.938	Mn.pbe-sp-van.UPF

The pseudopotentials are taken from the PWSCF library or self-generated.

• ATOMIC\_POSITIONS {alat|bohr|crystal|angstrom}

[type	х	У	Z	fix_x	fix_y	fix_z]
Ν	0.00	0.00	0.00	0	1	1
Mn	1.00	1.00	1.00			
В	2.25	2.25	2.25	1	0	1

# Cards

#### Others

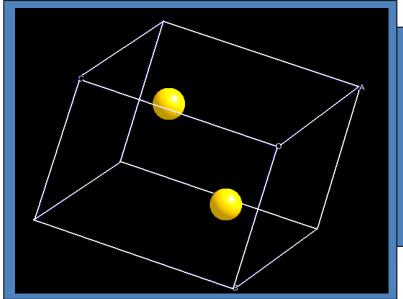
•	K_POINTS	{ aut	omati	ic }		
	[ nkx :	nky	nkz	shiftx	shifty	shiftz]
	6	6	6	0	1	0
•	K_POINTS	{ tpi	ba	crystal	gam	ma }
	[ k_x	k_]	у	k_z	wk	]
	0.25	0.3	25	0.25	0.333	I
	0.75	0.3	25	0.00	0.666	
			_			

• CELL\_PARAMETERS

a(1,1) a(2,1) a(3,1) a(1,2) a(2,2) a(3,2) a(1,3) a(2,3) a(3,3)

Bohr if celldm(1)=0, alat units otherwise

# Solid Mg (hcp)



• Primitive Vectors:  $A_1 = \frac{1}{2} a X - \frac{1}{2} 3^{1/2} a Y$   $A_2 = \frac{1}{2} a X + \frac{1}{2} 3^{1/2} a Y$   $A_3 = c Z$ • Basis Vectors:  $B_1 = \frac{1}{3} A_1 + \frac{2}{3} A_2 + \frac{1}{4} A_3$  $B_2 = \frac{2}{3} A_1 + \frac{1}{3} A_2 + \frac{3}{4} A_3$ 

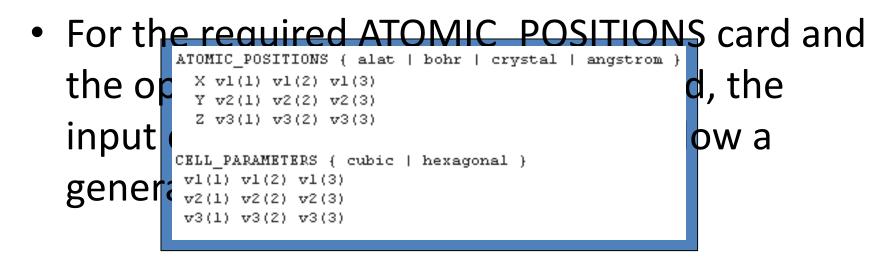
a = 3.21 Angstrom c = 5.21 Angstrom

#### Space group: P6<sub>3</sub>/mmc

- There are multiple options in QE, for inputting structures.
- In the &SYSTEM namelist, there is a parameter called 'ibrav'
  - ibrav=4 refers to the index for an internallyspecified hcp Bravais lattice.
  - Ibrav=0 allows one to self-define their unit cell.

Ibrav = 4	Ibrav = 0
<ul> <li>Internally specifies lattice vectors</li> </ul>	•Requires CELL_PARAMETERS card for
<ul> <li>Requires the celldm() parameters</li> </ul>	lattice vector input.
to $b_{20}$ specified [alat = celldm(1)] ECE 695	$\bullet_{\text{of}}$
<ul> <li>Better recognizes symmetry operations</li> </ul>	

#### **Inputting Vectors into Quantum ESPRESSO**



• Note: While the three lattice vectors in the CELL\_PARAMETERS card can only be specified in alat-normalized Bohr units, there are four options for inputting basis vectors in ATOMIC\_POSITIONS:

"alat" – alat-normalized Bohr units (default)	"angstrom" – Angstrom units
"bohr" – Bohr units	"crystal" – fractional coordinates

### **Performing Self-consistent Energy Calculations on Solid Mg**

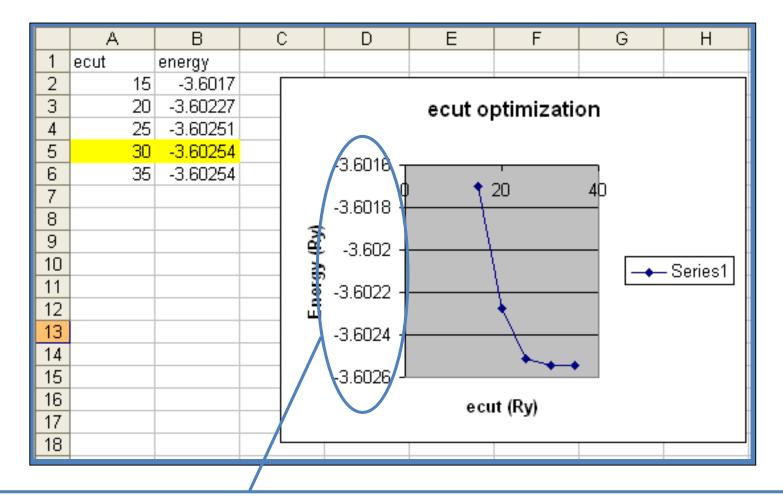
#!/bin/csh
¥PBS −1 size=8
<pre>#PBS -1 walltime=10:00</pre>
¥PBS −j oe
set echo
od ¢SCRATCH
cat > mg.scf.in << !
«control
calculation = 'scf'
restart_mode='from_scratch',
prefix='mg',
tstress=.true.
tprnfor = .true.
pseudo dir = '\$HOME/pp',
outdir='/scratcha/swansons/tmp/'
«system
ibrav = 4, $celldm(1)=6.06$ , $celldm(3)=1.62$ , $nat = 2$ , $ntyp= 1$ ,
ecutwfc = 30,
&electrons
diagonalization='cg'
mixing_mode='plain'
mixing_beta = 0.7
conv_thr = 1.0d-8
/ -
aions
<pre>pot_extrapolation = "second_order",</pre>
wfc_extrapolation = "second_order",
ATOMIC_SPECIES
Mg 24.305 Mg.pz-bhs.UPF
ATOMIC_POSITIONS {crystal}
ug .3333 .6667 .25
Mg .6667 .3333 .75
K_POINTS (automatic)
5 5 5 0 0 0
pbsyod -size \$PBS_0_SIZE /usr/local/packages/espresso-4.0.4/bin/pw.x -npool 2 < mg.scf.in > mg.scf.o
<pre>grep -e ! mg.scf.out &gt;&gt; mg.txt</pre>
grep -e 'CPU time' mg.scf.out >> mg.txt
cp mg.txt \$HOME/mg.txt

### **SCF Output**

- As intended, the 'mg.txt' file only contains the following:
   total energy = -3.60254292 Ry PWSCF : 4.905 CPU time, 4.905 wall time
  - PWSCF . 4.905 CFO Chile, 4.905 Wall Chile
- Reading the full 'mg.scf.out' file, however, allows us to step through the entire calculation, from initialization through each iteration. This is useful to visualize sometimes if you're unsure of your results and would like to visually inspect the convergence of your self-consistent energies.

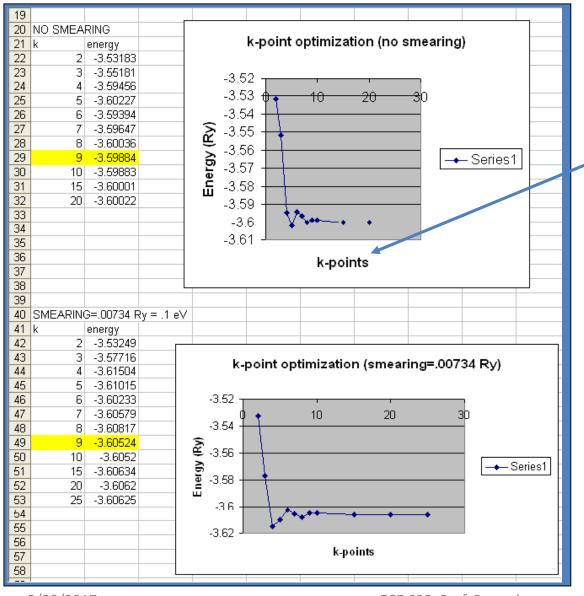
- The most important skill in performing DFT calculations is the ability to get converged energies. Since the appropriate choice of k-points and ecut vary wildly among different geometries (and even different required accuracies), it is important to be able to form the following graphs every time you perform 'scf' calculations on new geometries.
- Converged values of ecut and k should be reported any time you publish DFT results, so that someone else may reproduce your calculation and agree on the same numerical error.

### **Energy Cut-off Convergence Plot**



Not only should the graph look converged, but the difference in energy between the last two consecutive points should be smaller or equal to your required accuracy!

### **K-point Convergence Plot**



Note: In an automatic distribution of k-points, the value of k specifies how many discrete points there are equally-spaced along each lattice vector to populate the Brillouin Zone.

As we can see from the convergence plots, the presence of smearing does little to ensure convergence with fewer k-points.

# **K-point Convergence Plot (cont.)**

- When unit cells do not have equal-length lattice vectors, it is sometimes computationally rewarding to "geometrically-optimize" your automatic k-point distribution.
- For example, if one had a unit cell that was four times taller in one direction than its other two directions, one should specify only a quarter as many k-points along the taller direction.
  - This makes sense, because in reciprocal space, the taller distance will only be a quarter as long as the other two distances.

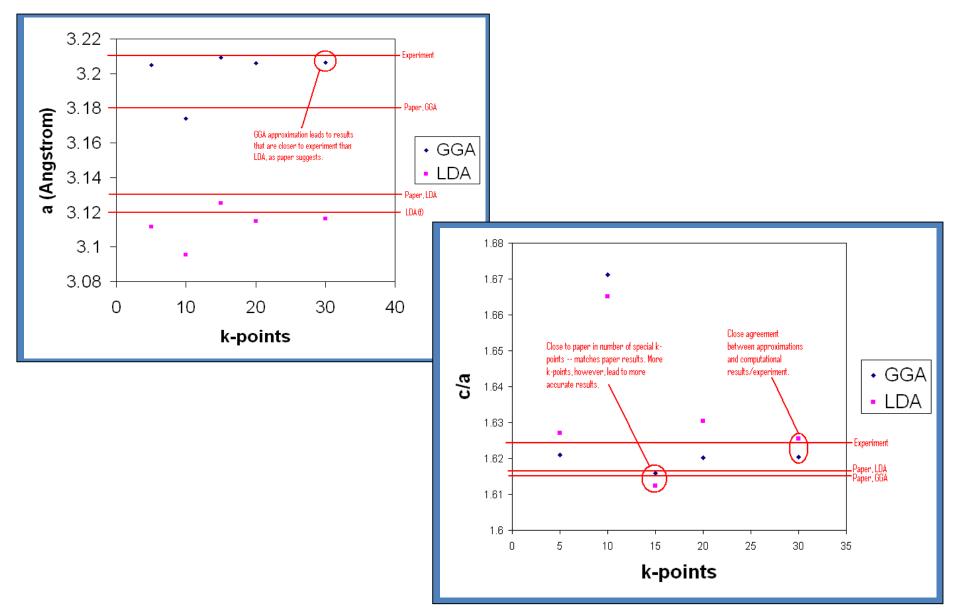
#### Performing Geometry Relaxation Calculations on Solid Mg

### **VC-RELAX Output**

• Reading the full 'mg.rx.out' file allows us to step through the entire calculation, from initialization through each iteration.

 It becomes apparent that a relaxation calculation is simply a series of scf calculations with forces specified at each step and updated positions at each iteration that correspond to the strength of the forces between the atoms in the system.

#### **Comparing the Relaxed Structure to Literature**



**Comparing the Relaxed Structure to Literature (cont.)** 

- On top of comparing the 'a' and 'c/a' lattice parameters to literature and to experiment, it is also useful to compare a quantity called "cohesive energy"
  - The difference between the average energy of the atoms of a crystal and that of the free atoms.
- It is important to compare cohesive energies and not specifically the self-consistent energies, because only differences in energies are physically meaningful.
  - The energy datum for an 'scf' calculation is specified by the choice of pseudopotential.

### References

- Paolo Giannozzi *et al* 2009 *J. Phys.: Condens. Matter* **21** 395502 <u>doi:10.1088/0953-</u> <u>8984/21/39/395502</u>
- Ustunel, Hande 2007 Quantum-Espresso
- <u>www.quantum-espresso.org</u>

### Next Class

- Is Monday, Feb. 27
- Next time, we will consider transfer matrix models